Potential automorphic Form
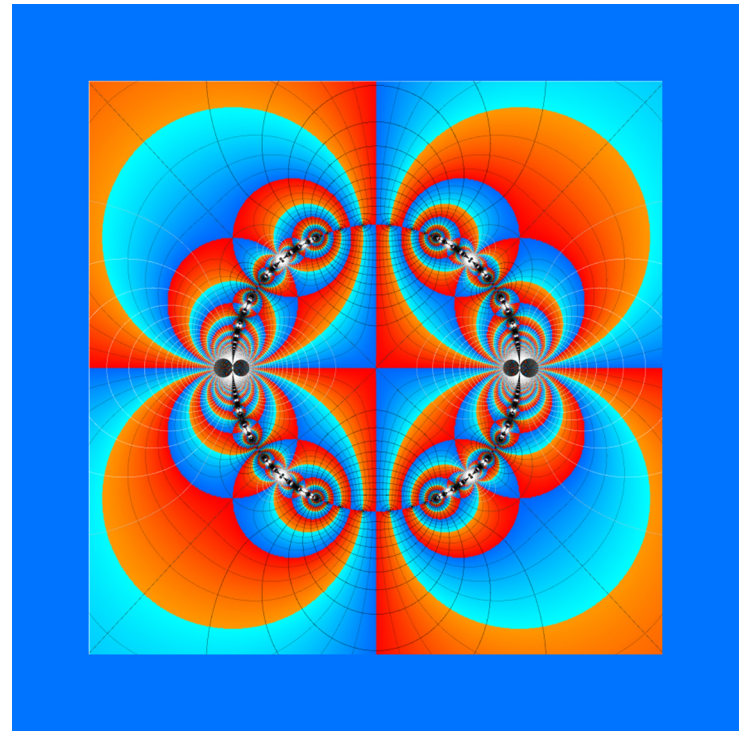
"Cuspidal representations" illustrate phenomena of transition diagrams. brilliantly.This is one model of the whole picture of the Latent-Phenomenon world.You will be able to understand similarity when comparing with the transition diagram below.This shows that the automorphic form is a basic form for the transition from <Ka> to "UrForm".And this fact shows that automorphic form is the basis of transition even in phenomena world. What "number theoretic cuspidal representations" showed is the relationship between "number" and "physical property" and "life".In addition, I am changing the original image for "Field with One Element".

Kura

Ka D 0
Ma D 0

$<\ UrForm\ >$

Kura

$\sim Kura_{Ka}$

(Please see
Arakamichi (6)
Arakamichi (7)
for this Map)

Original image for
Illustrations is
A graph of number theoretic
cuspidal representations of
complex variables
and
Complex variable graph of
automorphic function of
Schottky group with limiting
set on unit circle
http://math-functions-1.
watson.jp/sub1_spec_040.
html#section010

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$\nearrow \otimes \oint_\tau \left\|^{kura}_\partial Ka_{D0} \right\|^{Ka} \div \searrow$ $\left\|^{kura}_\partial Ka_{D\sqrt{-1}}\right\|^{Ka} \to$ $\oint_\tau \left\|^{kura}_\partial Ka_{D\sqrt{-1}}\right\|^{Ka} \to$ $\nearrow \otimes \left\|Amahi_{D\sqrt{-1}}\right\|^{Ka} \to$

$\oint_\tau {}^\sim_\partial Ka_{D0}^- \to$ $\left\|^\sim_\partial Ka_{D0}^\pm\right\|^{Ka} \div \nearrow$ $\oint_\tau {}^\sim_\partial Ka_{D0}^{\pm Ka} \to$ $\searrow \otimes {}^\sim_\partial Ka_{D\sqrt{-1}}^\pm \div \to$ $\oint_\tau {}^\sim_\partial Ka_{D\sqrt{-1}}^\pm \div \nearrow$ $\to \left|kamuna\right|_{D\sqrt{-1}} \to$

$\nearrow \tau_{D0}^{-Ka} \to$ $\nearrow \tau_{D0}^{-Ka} \to$ $\searrow \otimes \tau_{D\sqrt{-1}}^{-Ka} \div \to$ $\to \oint_\tau \tau_{D\sqrt{-1}}^{-Ka} \to$

$\left|^\sim_\partial Ka_{D0}^\pm\right| \div$ $\oint_\tau {}^\sim_\partial Ka_{D0}^+ \to$ $\tau_{D0}^{\pm Ka} \div \nearrow$ $\to \tau_{D0}^{+Ka} \to$ $\to \tau_{D0}^{+Ka} \to$ $\to \tau_{D0}^{+Ka} \to$ $\searrow \otimes \oint_{Ya} \tau_{D\sqrt{-1}}^{+Ka} \div \to$

$\sim Ka^{kura} \to$ $\sim Ka^\circlearrowright_\circlearrowleft \to$ $\sim_\partial Ka \ _{D0}^\pm \to$ $\left|^\sim_\partial Ka_{D0}^\pm\right| \nearrow$ $UrForm$ $\longrightarrow$ $\longrightarrow$ $\langle \circlearrowleft Ma | \circlearrowleft Ka \rangle \to$ $\langle \circlearrowleft Ma | \circlearrowleft Ka \rangle \to$ $\langle \circlearrowleft Ma | \circlearrowleft Ka \rangle \to$ $\langle \circlearrowleft Ma | \circlearrowleft Ka \rangle^{UrForm} \to$

$\left|^\sim_\partial Ma_{D0}^\pm\right| \div \to$ $\int_\tau {}^\sim_\partial Ma_{D0}^- \to$ $\tau_{D0}^{\pm Ma} \div \to$ $\to \tau_{D0}^{-Ma} \to$ $\to \tau_{D0}^{-Ma} \to$ $\to \tau_{D0}^{-Ma} \to$ $\searrow \otimes \int_{Ya} \tau_{D\sqrt{-1}}^{-Ma} \to \div \nearrow$

$\searrow \int_\tau \tau_{D0}^{+Ma} \to$ $\to \tau_{D0}^{+Ma} \to$ $\otimes \tau_{D\sqrt{-1}}^{+Ma} \div \nearrow$ $\to \int_\tau \tau_{D0}^{+Ma} \to$

$\searrow \int_\tau {}^\sim_\partial Ma_{D0}^+ \to$ $\left|^\sim_\partial Ma_{D0}^\pm\right|_{Ma} \div \searrow$ $\to \int_\tau \left|^\sim_\partial Ma_{D0}^+\right| \to$ $\nearrow \otimes {}^\sim_\partial Ma_{D\sqrt{-1}}^\pm \div \to$ $\int_\tau {}^\sim_\partial Ma_{D\sqrt{-1}}^\pm \to$ $\to {}_{amana}^\sim Ma_{D\sqrt{-1}}^\pm \to$

$\nearrow \otimes \int_\tau \left|^{kura}_\partial Ma_{D0}^\pm\right|_{Ma} \div \nearrow$ $^{kura}_\partial Ma_{D\sqrt{-1}}^\pm \to$ $\to ^{kura}_\partial Ma_{D\sqrt{-1}}^\pm \to$ $\to ^{kura}_\partial Ma_{D\sqrt{-1}}^\pm \to$

$\sim Kura_{Ma}$

Arakamichi (1 -3) : The Field with One Element-
Potential automorphic Cuspidal Model of Kamu transition diagram